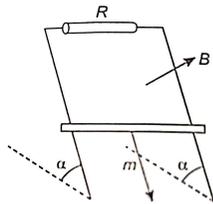


NEW STANDARD ACADEMY

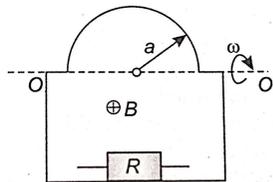
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CLASS 12 DPP (Academy) 30-06-2025

PHYSICS

- The system differs from the one examined in the foregoing problem by a capacitor of capacitance C replacing the resistance R . Find the acceleration of the connector

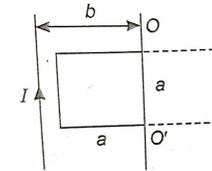


- A wire shaped as a semi-circle of radius a rotates about an axis OO' with an angular velocity ω in a uniform magnetic field of induction B . The rotation axis is perpendicular to the field direction. The total resistance of the circuit is equal to R . Neglecting the magnetic field of the induced current, find the mean amount of thermal power being generated in the loop during a rotation period.

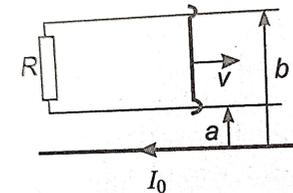


- A small coil is introduced between the poles of an electromagnet so that its axis coincides with the magnetic field direction. The cross-sectional area of the coil is equal to $S = 3.0 \text{ mm}^2$, the number of turns is $N = 60$. When the coil turns through 180° about its diameter, a ballistic galvanometer connected to the coil indicates a charge $q = 4.5 \mu\text{C}$ flowing through it. Find the magnetic induction magnitude between the poles provided the total resistance of the electric circuit equals $R = 40 \Omega$.
- A square wire frame with side a and a straight conductor carrying a constant current I are located in the same plane. The inductance and the resistance of the frame are equal to L and R respectively. The frame

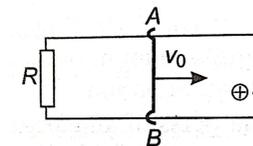
was turned through 180° about the axis OO' separated from the current-carrying conductor by a distance b . Find the electric charge having flown through the frame



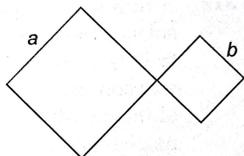
- A long straight wire carries a current I_0 . At distances a and b from it there are two other wires, parallel to the former one, which are interconnected by a resistance R . A connector slides without friction along the wires with a constant velocity v . Assuming the resistances of the wires, the connector, the sliding contacts, and the self-inductance of the frame to be negligible, find:
 - the magnitude and the direction of the current induced in the connector,
 - the force required to maintain the connector's velocity constant.



- A conducting rod AB of mass m slides without friction over two long conducting rails separated by a distance a . At the left end the rails are interconnected by a resistance R . The system is located in a uniform magnetic field perpendicular to the plane of the loop. At the moment $t = 0$ the rod AB starts moving to the right with an initial velocity v_0 . Neglecting the resistances of the rails and the rod AB , as well as the self-inductance, find:
 - the distance covered by the rod until it comes to a standstill;
 - the amount of heat generated in the resistance R during this process.



7. A plane loop shown in Fig is shaped as two squares with sides $a = 20$ cm and $b = 10$ cm and is introduced into a uniform magnetic field at right angles to the loop's plane. The magnetic induction varies with time as $B = B_0 \sin \omega t$, where $B_0 = 10$ mT and $\omega = 100\text{s}^{-1}$. Find the amplitude of the current induced in the loop if its resistance per unit length is equal to $\rho = 50\text{m}\Omega / \text{m}$. The inductance of the loop is to be neglected



8. A long straight solenoid of cross-sectional diameter $d = 5$ cm and with $n = 20$ turns per one cm of its length has a round turn of copper wire of cross-sectional area $S = 1.0 \text{ m}^2$ tightly put on its winding. Find the current flowing in the turn if the current in the solenoid winding is increased with a constant velocity $\dot{I} = 100\text{A} / \text{s}$. The inductance of the turn is to be neglected.
9. A long solenoid of cross-sectional radius a has a thin insulated wire ring tightly put on its winding; one half of the ring has the resistance η times that of the other half. The magnetic induction produced by the solenoid varies with time as $B = bt$, where b is a constant. Find the magnitude of the electric field strength in the ring
10. A magnetic flux through a stationary loop with a resistance R varies during the time interval τ as $\Phi = at(\tau - t)$. Find the amount of heat generated in the loop during that time. The inductance of the loop is to be neglected

CHEMISTRY

- Silver atom has completely filled d-orbitals ($4d^{10}$) in its ground state. How can you say that it is a transition element?
- In the series Sc ($Z = 21$) to Zn ($Z = 30$), the enthalpy of atomisation of zinc is the lowest, i.e., 126 kJ mol^{-1} . Why?
- Which of the 3d series of the transition metals exhibits the largest number of oxidation states and why?
- How would you account for the irregular variation of ionisation enthalpies (first and second) in first series of the transition elements?

- Why is the highest oxidation state of a metal exhibited in its oxide or fluoride only?
- Calculate the spin only magnetic moment of $M^{2+}(\text{aq.})$ ion ($Z = 27$).
- Write down the electronic configuration of:
 - Cr^{3+}
 - Pm^{3+}
 - Cu^+
- Why are Mn^{2+} compounds more stable than Fe^{2+} towards oxidation to their +3 state?
- Explain briefly how +2 state becomes more and more stable in the first half of the first row transition elements with increasing atomic number.
- What may be the stable oxidation state of the transition element with the following d electron configurations in the ground state of their atoms:

 $3d^3, 3d^5, 3d^8$ and $3d^4$

BIOLOGY

- Draw a schematic representation of a nucleotide. Label the following:
 - The components of a nucleotide
 - 5° end
 - N-glycosidic linkage
 - phosphodiester
- How do histones acquire positive charge?
- Base sequence in one of the strands of DNA is TAG CAT GAT.
 - Give the base sequences of its complementary strand.
 - How are these base pairs held together in a DNA molecule?
 - Explain the base complementarity rule. Name the scientist who framed this rule.
- Write the full form of VNTR. How is VNTR different from probe?
- Draw a neat labeled sketch of replicating fork of DNA.
- Draw a labeled schematic diagram of a transcription unit.
- Draw the structure of a tRNA charged with methionine.
- Draw a schematic diagram of lac operon in its 'switched off position'. Label
 - The Structural genes
 - Repressor bound to its correct position
 - Promoter gene
 - Regulator gene
- It is established that RNA is the first genetic material. Explain giving three reasons.
- Name the enzyme responsible for transcription of tRNA and the amino acid to which initiator tRNA gets linked with.

MATHS

1. Evaluate the following integral

(i) $\int \frac{\cos}{1-\cos^2 x} dx$

(ii) $\int \frac{e^{\log_e \sqrt{x}}}{x} dx$

2. Evaluate the following integrals

(i) $\int \left(\sqrt{x} - \frac{1}{x^2}\right)^2 dx$

(ii) $\int (3x^5 - 7 \sin x + 2) dx$

3. Evaluate: $\int \operatorname{cosec} x (\operatorname{cosec} x + \cot x) dx$

4. Evaluate the following integrals

(i) $\int \left(x - \frac{1}{x}\right)^3 dx$

(ii) $\int \frac{(a^x + b^x)^2}{a^x b^x}$

5. Evaluate: $\int \frac{\sin^3 x + \cos^3 x}{\sin^2 x \cos^2 x} dx$

6. Evaluate the following integral

(i) $\int \frac{1}{1+\sec x} dx$

(ii) $\int \frac{1+\sin}{1-\sin} dx.$

7. Evaluate the following integrals

(i) $\int \tan^2 x dx$

(ii) $\int \sqrt{1 - \sin 2x} dx, \frac{\pi}{4} < x < \frac{\pi}{2}.$

8. Evaluate the following integrals

(i) $\int \cos^{-1}(\sin x) dx$

(ii) $\int \tan^{-1}(\sec x + \tan x) dx.$

9. Evaluate : $\int (ax^2 + bx + c) dx$

10. $\int \tan^{-1}(\operatorname{cosec} x - \cot x) dx$